

Semester: I



Progressive Education Society's
Modern College of Arts, Science & Commerce Ganeshkhind, Pune – 16
(Autonomous)

End Semester Examination: Jan.2022

Faculty: Science and Technology

Program: BscComp05

Program (Specific): BSc (Computer Science)

Class: F.Y.B.Sc.Comp Sci.

Max.Marks: 35

Name of the Course: Mathematical Statistics

Course Code: 22-CSST-112

Paper: II

SET: B

Course Type: CC

Time: 2Hr

Instructions to the candidate:

- 1) *There are 4 sections in the question paper. Write each section on separate page.*
- 2) *All Sections are compulsory.*
- 3) *Figures to the right indicate full marks.*
- 4) *Draw a well labelled diagram wherever necessary.*
- 5) *Use of statistical tables and scientific calculators are allowed.*

SECTION: A

Q1) Choose the correct alternative in each of the following:

[1x 5]

1. If $A \subset B$, where two events A and B defined on sample space S then $A \cap B =$
a) A b) B c) A^c d) B^c
2. If X is a random variable then $\text{Var}(aX-b) =$
a) $a\text{Var}(X)$ b) $\text{Var}(X)+b$ c) $a\text{Var}(X)+b$ d) $a^2\text{Var}(X)$
3. Occurrence of at least one of the event out of two events A and B defined on sample space S is given as
a) $A \cap B$ b) $A \cap B^c$ c) $(A \cap B)^c$ d) $A \cup B$
4. If $X \sim B(10,p)$ and $E(X) = 5$ then value of p is
a) 0.5 b) 0.05 c) 0.13 d) 0.25
5. If S is sample space then $P(S)$ is
a) 1 b) 0.5 c) 0.25 d) 0

Q2) Attempt any four from the following:

[1 x 4]

1. Define Finite sample space.
2. In how many ways a committee can choose 6 members from 13 members for a meeting?
3. Define Mutually exhaustive events
4. If $P(A) = 0.4$ then find $P(A^c)$.
5. Explain the term “Event”
6. Define the term “Relative complementation of A given B”.

SECTION: B

Q3) Attempt any four from the following:

[2 x 4]

1. For the following probability distribution of X

X	0	1	2	3	4
P(X = x)	k	3k	4k	5k	2k

Find

- i) The value of k
 - ii) $P(X \geq 1)$
2. If A and B are two events defined on sample space S such that $P(B) = \frac{1}{4}$ and $P(A|B) = \frac{1}{2}$ then find $P((A \cap B)^c)$.
 3. Define variance of a discrete random variable. Also state any one property of variance.
 4. State Baye's theorem.
 5. Discuss Non-deterministic experiment with an example.
 6. Write any two real life situations where
 - i) Poisson distribution is applicable.
 - ii) Binomial distribution is applicable.

SECTION: C

Q4) Attempt any four from the following:

[2 x 4]

1. State additive property of Binomial distribution.
2. A company consists of 2 managers and 1 team leader. Write the set for the following events that it consists
 - i) At least one manager.
 - ii) First is a team leader.

3. State multiplication theorem.
4. The discrete r.v. X has following probability distribution

X	-1	0	1	2	3
P(x)	0.15	0.20	0.30	0.25	0.10

- i) Mode of X.
 - ii) $P(X \leq 1 | X \leq 3)$
5. Write axioms of probability.
 6. Let A and B be two independent events defined on Ω such that $P(A) = 1/3$, $P(B) = 1/4$. Find $P(A' \cap B)$, $P(A|B)$.

SECTION: D

Q5) Attempt any two from the following:

[5 x 2]

1. Following is the Probability mass function of a discrete r.v X:

X	4	5	6	7	8
P(X= x)	0.15	0.20	0.30	0.25	0.10

Find i) $P(4 < X < 7)$

ii) $E(2X)$

iii) $E(2X+3)$

2. A random variable X has following discrete uniform distribution.

$$P(X) = \frac{1}{20} ; x = 1, 2, \dots, 20.$$

Find $E(X)$ and $\text{Var}(X)$

3. Define distribution function of a discrete random variable X and state its four properties.
4. If D_1 and D_2 form partition of a sample space $P(D_1) = 0.2$, $P(D_2) = 0.8$ and $P(A|D_1) = 0.2$, $P(A|D_2) = 0.3$ then find $P(D_1|A)$ and $P(D_2|A)$
